Exploratory Modeling with Collaborative Design Spaces

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The Big Picture

Growing demand for user-created 3D content:

- Spore [Maxis '08]
- LittleBigPlanet [Media Molecule '08]
- The Sims 3 [Electronic Arts '09]
- Second Life [Linden Labs '03]

Previous Work



Teddy '99



SketchUp '07



Modeling by Example '04



iWIRES '09

Motivation

Professional design:

- Formalized processes [Navinchandra '91]
- Extensive previsualization [Brown '89]

Casual design:

- Looser constraints [Gero '90]
- Serendipitous/opportunistic [Tweedie '96]

Exploration

Suggest new, high-quality designs to users

Collaboration

Leverage models created by user community

















[Allen et al. '03]



[Weber & Penn '95]

[Ashikhmin & Shirley '00]

High-Dimensional Spaces

Uniform Random Samples



Tree Space n = 91

Human Body Space n = 124

Mapping Spaces

$$f: \mathbb{R}^n \to [0, 1]$$

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- Sum kernels to estimate $\hat{f}(\mathbf{x}) \approx f(\mathbf{x})$







Kernel Estimation

Must choose size/shape carefully:

- No analytic solutions for $n \geq 3$
- Iterative cross-validation expensive
- kth nearest neighbors more promising...

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- Find k^{th} nearest neighbors for each x_i
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Soft Kernels

Distance-weighted matrix [Bengio & Vincent '04]:

 $\boldsymbol{\Sigma}_{s,t} = \sum_{i=1}^{N} \omega_i \left[(\mathbf{x}_i)_s - (\mathbf{x})_s \right] \left[(\mathbf{x}_i)_t - (\mathbf{x})_t \right]$



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Need 000 models to bootstrap 100-dimensional space

$$\Sigma^{\star} = \lambda \operatorname{diag}(\Sigma) + (1 - \lambda)\Sigma$$

We generalize the Shrinkage estimator of [Schäffer & Strimmer '05]:

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Results

- Released 12/07
- 20,000+ downloads in a year
- 19 initial models in the database
- 6,936 created trees
- Average modeling time 15.1 minutes
- I5% of users "fluent" in 3D modeling



Questions?